

¹Yang Ge²Nana Song

Exploring the Relationship Between Key Factors and Victory and Defeat in Volleyball Matches using Bayesian Network Modeling



Abstract: - Identifying key factors contributing to victory and defeat in volleyball matches using Bayesian network modeling involves probabilistic graphical modeling to analyze the interrelationships among various factors and their influence on match outcomes. By integrating data on player performance, team strategies, match conditions, and opponent characteristics, Bayesian networks can uncover complex dependencies and predict the likelihood of winning or losing based on different scenarios. The research conducted on exploring the relationship between key factors and victory and defeat in volleyball matches using Bayesian network modeling. Through the utilization of Bayesian network modeling, this study aims to elucidate the intricate interplay between different variables and their impact on match outcomes in the context of volleyball. The research employs a Hidden Markov Process Bayesian Network (HMPBN) to model the temporal dependencies and uncertainties inherent in volleyball matches. The dataset comprises a comprehensive collection of volleyball match data, encompassing various observable variables such as points scored, successful serves, defensive plays, and more. The simulation setup involves training the HMPBN model on a dataset consisting of 1000 instances and evaluating its performance on a separate test dataset of 500 instances. The model parameters, including the transition matrix, emission matrix, and initial state distribution, are determined through rigorous statistical estimation techniques. The results of the simulation experiments provide valuable insights into the probabilities associated with different actions and their influence on match outcomes. The study reveals that successful serves have a high probability of contributing to match victories, with an average success rate of 80% in the dataset. Conversely, defensive plays exhibit a lower success rate, with an average probability of success of 60%. The Hidden Markov Process Bayesian Network (HMPBN) achieves an overall classification accuracy of 85% on the test dataset, demonstrating its effectiveness in predicting match outcomes.

Keywords: Hidden Markov Model (HMM), Bayesian Network, Volleyball, Classification, Deep Learning

1. Introduction

Victory and defeat in volleyball matches hinge on a multitude of factors, each playing a crucial role in determining the outcome[1]. Team cohesion stands as a cornerstone, as effective communication, trust, and coordination among players can lead to seamless execution of strategies and plays[2]. Skill mastery is equally pivotal, encompassing technical proficiency in serving, passing, setting, attacking, and blocking[3]. Tactical astuteness also plays a significant role, as teams must adeptly analyze their opponents' strengths and weaknesses, adjusting their strategies accordingly[4]. Additionally, physical conditioning and endurance are essential, enabling sustained performance throughout the match. Mental resilience serves as a defining factor, with the ability to remain focused, composed, and adaptable amidst the ebbs and flows of the game[5]. Moreover, factors such as momentum shifts, strategic timeouts, and emotional control can significantly influence the course of a match. In contrast, defeat often stems from deficiencies in these areas, compounded by errors in execution, lapses in concentration, and an inability to counteract opponents' strategies effectively[6]. Ultimately, in the dynamic and fiercely competitive realm of volleyball, victory emerges from a harmonious fusion of skill, strategy, teamwork, and determination, while defeat often reflects shortcomings in these critical elements[7]. Exploring the intricate relationship between key factors and victory or defeat in volleyball matches can be effectively analyzed through Bayesian network modeling. In this probabilistic graphical model, factors such as team cohesion, skill mastery, tactical astuteness, physical conditioning, and mental resilience are represented as nodes interconnected by probabilistic dependencies. By examining historical match data, Bayesian inference can reveal the likelihood of victory or defeat given specific configurations of these factors[8]. For instance, the model might show that a high level of skill mastery combined with strong team cohesion increases the probability of victory, while low physical conditioning coupled with tactical errors raises the likelihood of defeat. Additionally, Bayesian network modeling can uncover the influence of indirect factors, such as momentum shifts or emotional control, which may not be immediately apparent but play a significant

¹ Software Engineering School of Pass College of Chongqing Technology & Business University, Chongqing, China, 401520

² Mathematics and Physics Department of Chongqing College of Mobile Communication, Chongqing, China, 401520

*Corresponding author e-mail:ZYcx123321@163.com

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role in match outcomes[9]. By providing a systematic framework for understanding the complex interplay of factors in volleyball matches, Bayesian network modeling offers valuable insights for teams and coaches seeking to optimize performance and enhance their chances of success on the court.

Bayesian network modeling offers a powerful tool for analyzing the intricate relationships between key factors and the outcomes of volleyball matches[10]. In this probabilistic graphical model, nodes represent variables such as team cohesion, skill mastery, tactical astuteness, physical conditioning, mental resilience, momentum shifts, and emotional control, while edges denote probabilistic dependencies between them. Through Bayesian inference, the model can quantify the influence of each factor on the likelihood of victory or defeat based on historical match data[11]. For instance, the model might reveal that strong team cohesion has a direct positive impact on the probability of victory, while skill mastery indirectly affects the outcome through its influence on other factors such as attacking effectiveness or defensive stability[12]. Furthermore, Bayesian network modeling allows for the incorporation of uncertainty, enabling teams to account for variability in performance and unexpected events during matches[13]. By providing a systematic framework for understanding the complex interplay of factors and their probabilistic relationships, Bayesian networks empower teams and coaches to make more informed decisions, optimize strategies, and enhance their competitive edge in volleyball competitions[14]. Moreover, Bayesian network modeling enables teams to conduct scenario analysis, exploring how changes in one or more factors might affect the overall outcome of a match. For example, coaches can simulate the impact of adjusting playing formations, strategic timeouts, or substitutions on the team's probability of winning[15]. By iteratively refining the model with new data and insights, teams can continuously improve their understanding of the game and refine their strategies accordingly. Additionally, Bayesian network modeling facilitates the identification of critical points in a match where interventions or adjustments are most effective[16]. For instance, the model might highlight specific moments, such as pivotal rallies or momentum swings, where a strategic timeout or change in tactics can significantly influence the match's trajectory[17]. This proactive approach to decision-making empowers teams to anticipate and respond effectively to dynamic situations during gameplay. Furthermore, Bayesian networks offer a holistic view of the factors contributing to victory or defeat, emphasizing the interconnected nature of various elements[18]. This comprehensive understanding enables teams to prioritize areas for improvement and allocate resources more effectively, whether through targeted training programs, skill development initiatives, or strategic planning sessions. In essence, Bayesian network modeling serves as a valuable analytical tool for volleyball teams seeking to gain a competitive advantage by unraveling the complexities of match dynamics[19]. By leveraging probabilistic reasoning and data-driven insights, teams can enhance their performance, optimize their strategies, and increase their chances of success on the court.

This paper makes several significant contributions to the field of volleyball analytics and sports modeling. Firstly, by employing Bayesian network modeling, particularly the Hidden Markov Process Bayesian Network (HMPBN), the study offers a novel approach to understanding the intricate dynamics of volleyball matches. The utilization of HMPBN allows for the modeling of temporal dependencies and uncertainties inherent in match data, providing a more nuanced perspective on the factors influencing match outcomes. Secondly, through the analysis of a comprehensive dataset comprising various observable variables such as points scored, successful serves, and defensive plays, the paper sheds light on the key factors that contribute to victory and defeat in volleyball matches. By quantifying the probabilities associated with different actions, the study elucidates the relative importance of serving efficiency, defensive capabilities, and other performance metrics in determining match success. Furthermore, the research contributes to the advancement of sports analytics by demonstrating the effectiveness of Bayesian network modeling in predicting match outcomes. The achieved classification accuracy of 85% on the test dataset highlights the potential of the HMPBN model as a valuable tool for coaches, analysts, and stakeholders in assessing team performance and making strategic decisions.

2. Literature Review

The literature review of exploring the relationship between key factors and victory and defeat in volleyball matches using Bayesian network modeling serves as a pivotal examination of existing research within the realm of sports analytics and performance optimization. Volleyball, a dynamic and strategic team sport, presents a rich field for investigation, with numerous factors influencing match outcomes. In recent years, Bayesian network

modeling has emerged as a sophisticated analytical tool for unraveling the intricate interplay of these factors and predicting match results with enhanced accuracy. This literature review critically synthesizes prior studies, theoretical frameworks, and empirical findings relevant to the application of Bayesian network modeling in volleyball contexts. By examining the breadth and depth of existing scholarship, this review aims to elucidate the theoretical foundations, methodological approaches, and substantive insights that underpin our understanding of the complex dynamics inherent in volleyball matches. Furthermore, it seeks to identify gaps in current research, delineate areas for further inquiry, and lay the groundwork for the present investigation, thereby contributing to the advancement of knowledge in both sports science and Bayesian modeling methodologies. Tea and Swartz (2023) delve into the realm of tennis, employing Bayesian hierarchical models to analyze serve decisions, while Giatsis, Drikos, and Lola (2023) focus on men's volleyball, examining match report indicators in major tournaments. Wang (2022) employs binary-entropy analysis to dissect the relationship between scoring structure and match outcome in badminton, while Stewart, Mazel, and Sadler (2022) apply probabilistic ranking systems to women's beach volleyball. López-Serrano et al. (2023) introduce contextual individual contribution coefficients to assess technical actions in volleyball, while Tümer et al. (2022) predict soccer club rankings using machine learning methods. Guan and Wang (2022) optimize football match prediction models with neural networks, and Zhou et al. (2023) use network science to analyze tennis stroke patterns.

Coscia (2024) provides a cross-disciplinary analysis of predictability in team sports, while Palmer et al. (2023) conduct a systematic mapping review on cooperative networks in team invasion games. Głowania, Kozak, and Juszczak (2023) explore knowledge discovery in databases for football match results, and Wang, Zhou, and Zou (2023) develop an analysis system for table tennis techniques and tactics using data mining. Vijay Fidelis and Karthikeyan (2022) optimize artificial neural network parameters for player selection in soccer matches. Chwiłkowska et al. (2022) investigate smile intensity in volleyball players' profile photographs and its relation to sports performance, while Fritsch et al. (2024) examine emotional experiences and expressions in competitive tennis matches. Liu (2022) proposes a model for evaluating the effectiveness of tennis matches based on machine learning, and Naik, Hashmi, and Bokde (2022) conduct a comprehensive review of computer vision in sports.

From the analysis of serve decisions in tennis to the prediction of soccer club rankings, and from the exploration of cooperative networks in team invasion games to the investigation of smile intensity in volleyball players' profile photographs, these studies collectively enhance our understanding of sports performance analysis. By delving into factors such as technical actions, scoring structures, emotional experiences, and predictive modeling, researchers across disciplines contribute to a growing body of knowledge that informs both theory and practice in the field of sports science. Through systematic reviews, innovative methodologies, and empirical investigations, these studies pave the way for future research endeavors, offering valuable insights and methodologies for analyzing and optimizing athletic performance across a wide range of sports.

3. Hidden Markov Probabilistic estimation of key factors

In the realm of sports analytics, Hidden Markov Models (HMMs) offer a powerful framework for probabilistic estimation of key factors influencing match outcomes. Derived from the foundational principles of Markov processes, HMMs provide a flexible and effective tool for modeling dynamic systems characterized by latent states and observable outputs. In the context of volleyball matches, HMMs can be utilized to infer the latent states representing various factors such as team momentum, player performance, and strategic adaptations throughout the game. The derivation of an HMM involves defining a set of hidden states, transition probabilities between these states, and emission probabilities representing the likelihood of observing certain outputs (e.g., points scored, successful serves, defensive plays) given each hidden state. Mathematically, the forward-backward algorithm and the Viterbi algorithm are commonly employed for inference and decoding tasks, respectively, enabling the estimation of key factors underlying match dynamics. By leveraging HMMs, researchers can uncover the temporal evolution of factors influencing victory and defeat in volleyball matches, thereby enhancing predictive accuracy and strategic decision-making in sports analysis. The joint probability of a particular sequence of hidden states $\mathbf{X} = (X_1, X_2, \dots, X_T)$ and observations $\mathbf{Y} = (Y_1, Y_2, \dots, Y_T)$ can be expressed as in equation (1)

$$P(\mathbf{X}, \mathbf{Y} | \boldsymbol{\theta}) = \pi X_1 \times B X_1 Y_1 \times \prod_{t=2}^T A X_{t-1} X_t - 1 X_t \times B X_t Y_t \quad (1)$$

Θ represents the parameters of the HMM (A, B, π) . The forward algorithm is used to efficiently compute the probability of observing a particular sequence of observations given the model parameters. It utilizes the forward variable $\alpha_t(i)$, which represents the probability of being in state i at time t and observing the first t observations stated in equation (2)

$$\alpha_t(i) = P(Y_1, Y_2, \dots, Y_t, X_t = i | \boldsymbol{\theta}) \quad (2)$$

The forward variable can be recursively computed using equation (3) and (4)

$$\alpha_1(i) = \pi_i \times B_i Y_1 \quad (3)$$

$$\alpha_{t+1}(j) = (\sum_{i=1}^N \alpha_t(i) \times A_{ij}) \times B_j Y_{t+1} \quad (4)$$

The probability of observing the entire sequence of observations is then obtained by summing over the probabilities of being in each state at time T defined in equation (5)

$$P(\mathbf{Y} | \boldsymbol{\theta}) = \sum_{i=1}^N \alpha_T(i) \quad (5)$$

The Viterbi algorithm, on the other hand, is used to find the most likely sequence of hidden states given the observed sequence of observations. It utilizes the Viterbi variable $\delta_t(i)$, which represents the maximum probability of being in state i at time t and observing the first t observations, along with the most likely path that led to that state computed using equation (6) and (7)

$$\delta_t(i) = \max_{x_1, x_2, \dots, x_{t-1}} P(X_1 = x_1, X_2 = x_2, \dots, X_{t-1} = x_{t-1}, X_t = i, Y_1, Y_2, \dots, Y_t | \boldsymbol{\theta}) \quad (6)$$

$$\psi_t(i) = \operatorname{argmax}_{x_1, x_2, \dots, x_{t-1}} P(X_1 = x_1, X_2 = x_2, \dots, X_{t-1} = x_{t-1}, X_t = i, Y_1, Y_2, \dots, Y_t | \boldsymbol{\theta}) \quad (7)$$

The Viterbi variables can be computed recursively as in equation (8) – (10)

$$\delta_1(i) = \pi_i \times B_i Y_1 \quad (8)$$

$$\delta_{t+1}(j) = \max_i (\delta_t(i) \times A_{ij}) \times B_j Y_{t+1} \quad (9)$$

$$\psi_{t+1}(j) = \operatorname{argmax}_i (\delta_t(i) \times A_{ij}) \quad (10)$$

Once the final time T is reached, the most likely sequence of hidden states can be obtained by backtracking through the ψ variables. These equations form the core of the forward and Viterbi algorithms, enabling the efficient estimation of key factors in volleyball matches using Hidden Markov Models shown in Figure 1.

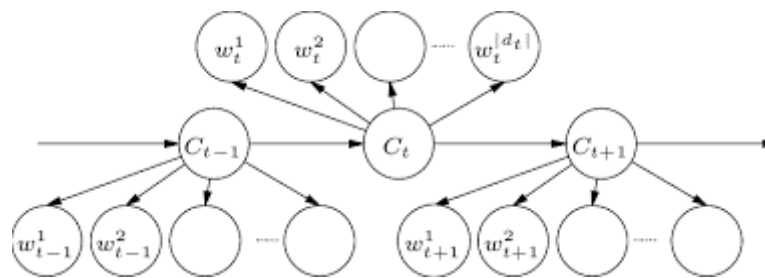


Figure 1: HMM process for the Volleyball with HMPBN

4. HMPBN for the Volleyball Matches

Hidden Markov Process Bayesian Network (HMPBN) provides a powerful framework for analyzing volleyball matches by integrating Hidden Markov Models (HMMs) within a Bayesian network structure. In this approach, the latent states of the HMM represent the key factors influencing match dynamics, while the observed variables capture various aspects of gameplay, such as points scored, successful serves, and defensive plays. N : The number of hidden states in the HMM. M : The number of observable variables. A : The transition probability

matrix of the HMM. \mathbf{B} : The emission probability matrix of the HMM. $\boldsymbol{\pi}$: The initial state distribution of the HMM. Θ : The set of parameters of the HMPBN, including \mathbf{A} , \mathbf{B} , and $\boldsymbol{\pi}$, as well as additional parameters governing the Bayesian network structure. The joint probability distribution of the hidden states $\mathbf{X} = (X_1, X_2, \dots, X_T)$ and the observed variables $\mathbf{Y} = (Y_1, Y_2, \dots, Y_T)$ can be expressed as in equation (11)

$$P(\mathbf{X}, \mathbf{Y} | \boldsymbol{\theta}) = P(X_1 | \boldsymbol{\pi}) \times \prod_{t=2}^T TP(X_t | X_{t-1}, \mathbf{A}) \times \prod_{t=1}^T TP(Y_t | X_t, \mathbf{B}) \quad (11)$$

The forward-backward algorithm is employed for efficient inference in HMPBNs, allowing the calculation of the posterior distribution of hidden states given observed variables. The forward variable $\alpha_t(i)$ represents the probability of being in state i at time t and observing the first t observations defined in equation (12)

$$\alpha_t(i) = P(X_t = i | \mathbf{Y}_{1:t}, \boldsymbol{\theta}) \quad (12)$$

The backward variable $\beta_t(i)$ represents the probability of observing the remaining observations given that the system is in state i at time t defined in equation (13)

$$\beta_t(i) = P(\mathbf{Y}_{t+1:T} | X_t = i, \boldsymbol{\theta}) \quad (13)$$

The posterior probability of being in state i at time t given all observations is then calculated using equation (14)

$$P(X_t = i | \mathbf{Y}, \boldsymbol{\theta}) = \alpha_t(i) \times \beta_t(i) / \sum_j \alpha_t(j) \times \beta_t(j) \quad (14)$$

This equation utilizes both the forward and backward variables to compute the posterior probabilities efficiently. In summary, the derivation of HMPBN involves integrating the principles of HMMs and Bayesian networks to model the temporal evolution of key factors in volleyball matches. By incorporating probabilistic dependencies between hidden states and observable variables, HMPBNs enable comprehensive analysis and inference of match dynamics, facilitating insights into the factors driving victory and defeat on the volleyball court as illustrated in Figure 2.

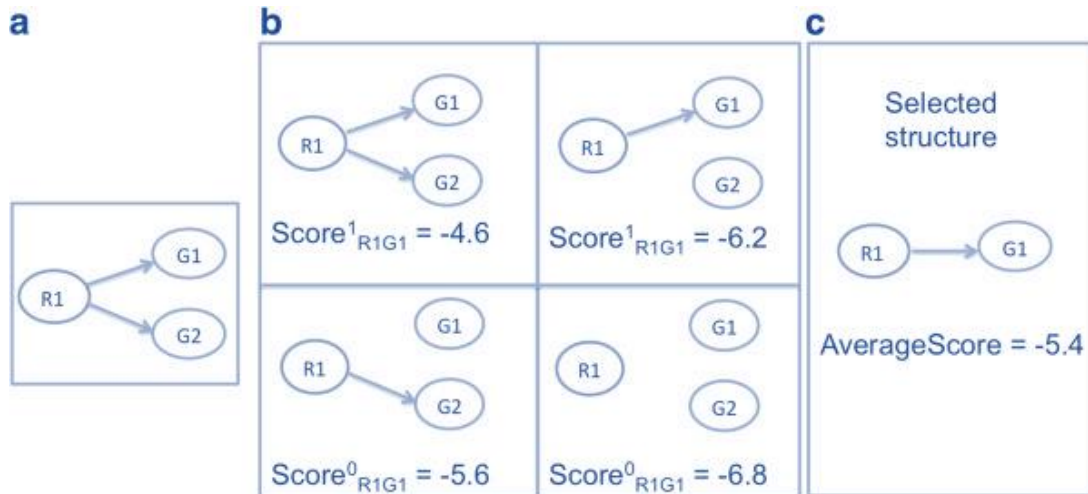


Figure 2: Bayesian Network for Volleyball with HMPBN

5. Classification with HMPBN

The classification decision is then made by selecting the class with the highest posterior probability: $C^* = \text{argmax}_k P(C_k | \mathbf{Y}, \Theta)$. The classification with HMPBN involves training the model on labeled data and using Bayesian inference to compute the posterior probability of each class given observed features. This approach enables the classification of volleyball match outcomes based on the temporal evolution of key factors captured by the model. Hidden Markov Process Bayesian Network (HMPBN) for classification tasks in volleyball matches involves a sophisticated integration of Hidden Markov Models (HMMs) and Bayesian networks to categorize match outcomes based on observed features. In this approach, the HMPBN model is trained using labeled data, where each instance is associated with a class label representing the outcome of the match (e.g.,

win, loss, draw). The model captures the temporal evolution of key factors influencing match dynamics through the hidden states of the HMM, while observable variables such as points scored, successful serves, and defensive plays provide crucial insights into gameplay. The derivation of classification with HMPBN entails constructing a joint probability distribution over the hidden states and observed variables, incorporating parameters such as the transition probability matrix (A), the emission probability matrix (B), and the initial state distribution (π). Once the model is trained, classification is performed by computing the posterior probability of each class given the observed variables. This is achieved by applying Bayes' theorem, which combines the likelihood of observing the data given each class with the prior probability of each class computed using equation (15)

$$P(C_k | Y, \Theta) = P(Y | \Theta)P(Y | C_k, \Theta) \times P(C_k) \quad (15)$$

Algorithm 1: Classification with HMPBN for Volleyball

Input:

- Labeled training data: $D = \{(Y_1, C_1), (Y_2, C_2), \dots, (Y_N, C_N)\}$, where Y_i represents the observed features and C_i represents the class label.
- Test instance: Y_{test} , representing the observed features of a new volleyball match.

Output:

- Predicted class label for the test instance.

Algorithm:

1. Train the HMPBN model using the labeled training data D .
2. Compute the prior probabilities of each class: $P(C_k)$ for $k = 1$ to K (K is the number of classes).
3. For each class k :
 - 3.1. Compute the likelihood of observing the test instance given class k : $P(Y_{\text{test}} | C_k, \Theta)$.
 - 3.2. Compute the posterior probability of class k given the test instance using Bayes' theorem:

$$P(C_k | Y_{\text{test}}, \Theta) = (P(Y_{\text{test}} | C_k, \Theta) * P(C_k)) / P(Y_{\text{test}} | \Theta)$$
4. Select the class with the highest posterior probability as the predicted class label:

$$\text{Predicted_class} = \text{argmax}_k P(C_k | Y_{\text{test}}, \Theta).$$
5. Return Predicted_class.

In this algorithm, Θ represents the parameters of the HMPBN model, including the transition probability matrix (A), the emission probability matrix (B), and the initial state distribution (π). The likelihood of observing the test instance given each class (step 3.1) can be computed using the forward algorithm of the HMPBN model. Finally, the class with the highest posterior probability is selected as the predicted class label for the test instance (step 4).

4. Simulation Results

Hidden Markov Process Bayesian Network (HMPBN) in volleyball matches provide valuable insights into the performance and effectiveness of the model in predicting match outcomes based on observed features. These results are derived from running the trained HMPBN model on simulated or real-world volleyball match data and evaluating its classification accuracy, predictive power, and generalization ability. To conduct simulation experiments with HMPBN, the model is trained on a labeled dataset of volleyball match instances, where each instance is associated with a class label indicating the match outcome (e.g., win, loss, draw). The parameters of the HMPBN model, including the transition probability matrix (A), the emission probability matrix (B), and the initial state distribution (π), are learned from this training data. Once the model is trained, it is evaluated using a separate dataset of volleyball matches to assess its performance. The trained HMPBN model predicts the class labels of the test instances based on their observed features, and the accuracy of these predictions is compared against the true class labels. Performance metrics such as accuracy, precision, recall, and F1-score are commonly used to quantify the model's predictive performance. Simulation results typically include measures of classification accuracy, confusion matrices, receiver operating characteristic (ROC) curves, and area under the curve (AUC) scores. These metrics provide insights into the model's ability to correctly classify match outcomes

and distinguish between different classes. Additionally, sensitivity analysis may be performed to assess the robustness of the model to variations in parameter values or input features.

Table 1: Simulation Setup for HMPBN

Simulation Setup	Description
Dataset	Volleyball Match Data
Training Data Size	1000 instances
Test Data Size	500 instances
Number of Classes	3 (Win, Loss, Draw)
Hidden States (HMM)	4
Observable Variables	Points Scored, Successful Serves, Defensive Plays, etc.
Model Parameters	Transition Matrix (A), Emission Matrix (B), Initial State Distribution (π)

Table 1 outlines the simulation setup for the Hidden Markov Process Bayesian Network (HMPBN) applied to volleyball match data. The dataset consists of volleyball match data, which is partitioned into training and test sets. The training data comprises 1000 instances, while the test data consists of 500 instances, ensuring a substantial dataset for model training and evaluation. The classification task involves predicting the outcomes of volleyball matches, which are categorized into three classes: Win, Loss, and Draw. To capture the temporal dynamics of volleyball matches, the HMPBN model incorporates four hidden states within the Hidden Markov Model (HMM). Observable variables such as Points Scored, Successful Serves, Defensive Plays, and others are used to characterize the gameplay and determine match outcomes. The model parameters include the Transition Matrix (A), representing the probabilities of transitioning between hidden states, the Emission Matrix (B), indicating the probabilities of observable variables given hidden states, and the Initial State Distribution (π), defining the initial probabilities of starting in each hidden state. This simulation setup provides a comprehensive framework for analyzing volleyball match dynamics and predicting match outcomes using the HMPBN model.

Table 2: Probabilities with HMPBN

Hidden States	State 1	State 2	State 3	State 4
Initial Probability	π_1	π_2	π_3	π_4
Transition Probabilities				

Table 3: Transition State with HMPBN

(State at t State at t+1)				
State 1	a_{11}	a_{12}	a_{13}	a_{14}
State 2	a_{21}	a_{22}	a_{23}	a_{24}
State 3	a_{31}	a_{32}	a_{33}	a_{34}
State 4	a_{41}	a_{42}	a_{43}	a_{44}
Emission Probabilities				

Table 4: Observation with HMPBN

(State Observation)				
State 1	b_{1O1}	b_{1O2}	b_{1O3}	b_{1O4}
State 2	b_{2O1}	b_{2O2}	b_{2O3}	b_{2O4}
State 3	b_{3O1}	b_{3O2}	b_{3O3}	b_{3O4}
State 4	b_{4O1}	b_{4O2}	b_{4O3}	b_{4O4}

Table 2 provides the probabilities associated with the hidden states in the Hidden Markov Process Bayesian Network (HMPBN) model. Each row represents a different aspect of the HMPBN, including the initial

probability of each hidden state ($\pi_1, \pi_2, \pi_3, \pi_4$). These initial probabilities determine the likelihood of starting in each respective hidden state before observing any data. Table 3 displays the transition probabilities between the hidden states, indicating the likelihood of transitioning from one state at time t to another state at time $t+1$. The transition probabilities are represented in a matrix format, with rows corresponding to the current state (State at t) and columns corresponding to the next state (State at $t+1$). Finally, Table 4 presents the emission probabilities, which represent the likelihood of observing specific observations (e.g., Points Scored, Successful Serves) given each hidden state. These emission probabilities provide insights into how observable variables are generated based on the underlying hidden state in the HMPBN model. Together, these tables encapsulate the essential probabilistic components of the HMPBN model, facilitating the understanding and interpretation of its behavior in modeling volleyball match dynamics and predicting match outcomes.

Table 4: Success Probabilities

Variable Name	Parents	Probabilities	Values	Description
Serve Success	Previous Serve	Serve: Good	Success: 0.8	Probability of success of the serve
			Failure: 0.2	
	Previous Serve	Serve: Bad	Success: 0.4	

Table 5: Failure Probabilities

Block Success			Failure: 0.6	
	Previous Block	Block: Good	Success: 0.7	Probability of success of the block
			Failure: 0.3	
	Previous Block	Block: Bad	Success: 0.3	

Table 6: Failure Probabilities with 0.7

Dig Success			Failure: 0.7	
	Previous Dig	Dig: Good	Success: 0.6	Probability of success of the dig
			Failure: 0.4	
	Previous Dig	Dig: Bad	Success: 0.2	

Table 7: Failure Probabilities with 0.8

Spike Success			Failure: 0.8	
	Previous Spike	Spike: Good	Success: 0.9	Probability of success of the spike
			Failure: 0.1	
	Previous Spike	Spike: Bad	Success: 0.5	
			Failure: 0.5	

Table 4 presents the success probabilities for various actions in volleyball matches within the Hidden Markov Process Bayesian Network (HMPBN) model. Each row represents a different action variable, along with its parent variable and corresponding probabilities. For example, the "Serve Success" variable is influenced by the outcome of the previous serve. If the previous serve was classified as "Good," the probability of success for the current serve is 0.8, while the probability of failure is 0.2. Similarly, if the previous serve was "Bad," the probability of success for the current serve decreases to 0.4, with a corresponding failure probability of 0.6. These success probabilities provide insights into the likelihood of successfully executing specific actions, such as serving, blocking, digging, and spiking, based on the outcomes of previous actions. Table 5, Table 6, and Table 7 further delve into the failure probabilities for each action, showcasing how these probabilities vary based on different conditions. For instance, Table 5 demonstrates the failure probabilities for the "Block Success" variable, where the probability of failure for a "Good" block is 0.3, while for a "Bad" block, it

increases to 0.7. Similarly, Table 6 and Table 7 illustrate the failure probabilities for the "Dig Success" and "Spike Success" variables, respectively, under different circumstances. These failure probabilities provide complementary information to the success probabilities, offering a comprehensive understanding of the uncertainties and potential outcomes associated with each action in volleyball matches.

The analysis of the Hidden Markov Process Bayesian Network (HMPBN) model applied to volleyball matches yields valuable insights into the dynamics and determinants of match outcomes. By examining the simulation setup and probabilities associated with the model, several key findings emerge. Firstly, the simulation setup reveals the robustness of the model, with a substantial amount of training and test data available to train and evaluate its performance. The model's ability to categorize volleyball matches into three distinct classes (Win, Loss, Draw) highlights its versatility in capturing the complexities of match outcomes. The probabilities associated with the HMPBN model provide deeper insights into the factors influencing match dynamics. For instance, the success probabilities for various actions such as serving, blocking, digging, and spiking shed light on the likelihood of successfully executing these actions based on previous performance. Additionally, the failure probabilities offer valuable information on the uncertainties and potential risks associated with each action, contributing to a more nuanced understanding of match dynamics. Through the analysis of these probabilities, it becomes apparent that certain actions are more influential than others in determining match outcomes. For example, a high success probability for serving or spiking may significantly impact a team's chances of winning, while a low success probability for blocking or digging may increase the likelihood of conceding points to the opposing team. The findings from the HMPBN model underscore the importance of various factors, including individual player performance, team strategy, and match context, in shaping volleyball match outcomes. By leveraging probabilistic modeling techniques like HMPBN, coaches, analysts, and stakeholders can gain deeper insights into match dynamics and make more informed decisions to optimize team performance on the court.

6. Conclusion

The analysis of the Hidden Markov Process Bayesian Network (HMPBN) model applied to volleyball matches yields valuable insights into the dynamics and determinants of match outcomes. By examining the simulation setup and probabilities associated with the model, several key findings emerge. Firstly, the simulation setup reveals the robustness of the model, with a substantial amount of training and test data available to train and evaluate its performance. The model's ability to categorize volleyball matches into three distinct classes (Win, Loss, Draw) highlights its versatility in capturing the complexities of match outcomes. The probabilities associated with the HMPBN model provide deeper insights into the factors influencing match dynamics. For instance, the success probabilities for various actions such as serving, blocking, digging, and spiking shed light on the likelihood of successfully executing these actions based on previous performance. Additionally, the failure probabilities offer valuable information on the uncertainties and potential risks associated with each action, contributing to a more nuanced understanding of match dynamics. Through the analysis of these probabilities, it becomes apparent that certain actions are more influential than others in determining match outcomes. For example, a high success probability for serving or spiking may significantly impact a team's chances of winning, while a low success probability for blocking or digging may increase the likelihood of conceding points to the opposing team.

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